

Spin Currents in a 2D Electron Gas

Joshua Folk
UBC

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Thanks to:

My group

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Heterostructures

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Motivations

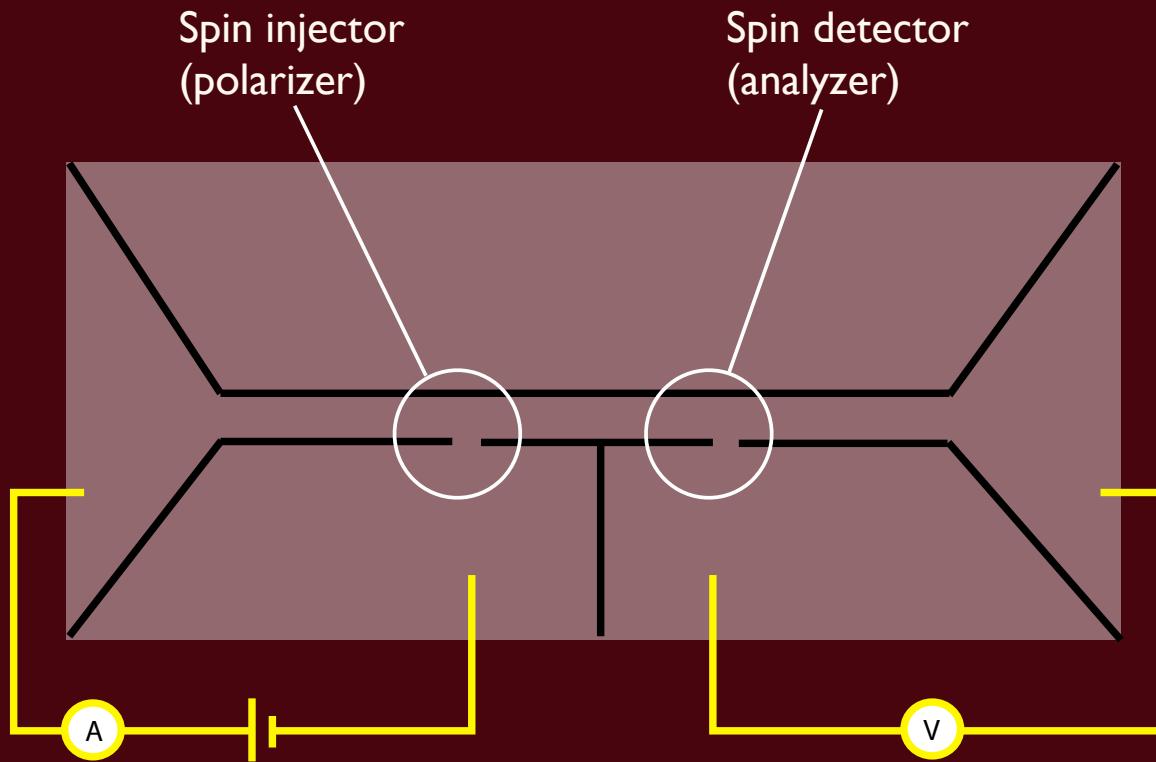
Why measure spin current?

- Spintronics (quantum and classical)
- Hard to infer spin physics from charge transport

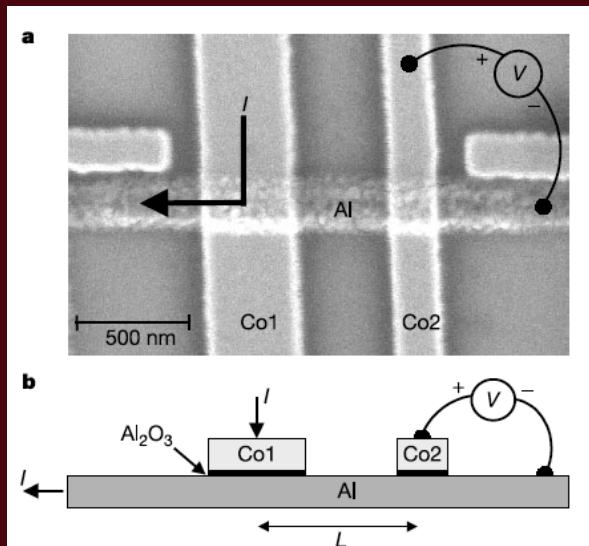
Why measure in semiconductors (vs metals)?

- Spin physics of interacting electrons
- Exquisite control of material system
- Electrical control of spin

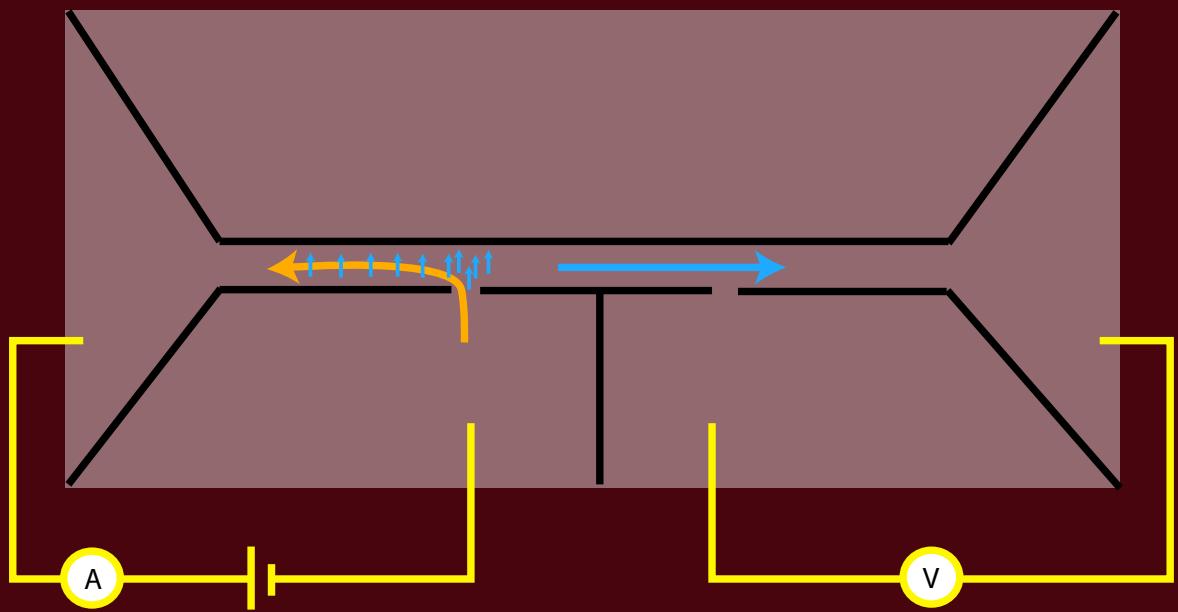
Measuring spin currents electrically: a polarizer/analyzer geometry



Nonlocal geometry generates pure spin currents (spin currents without charge currents)

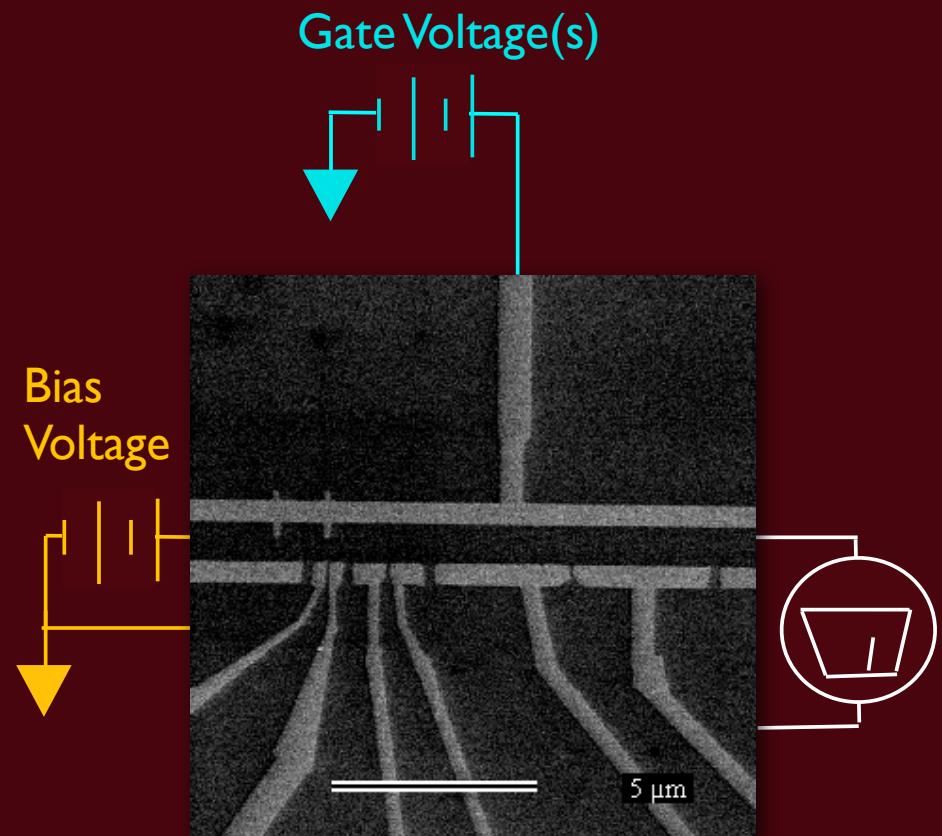
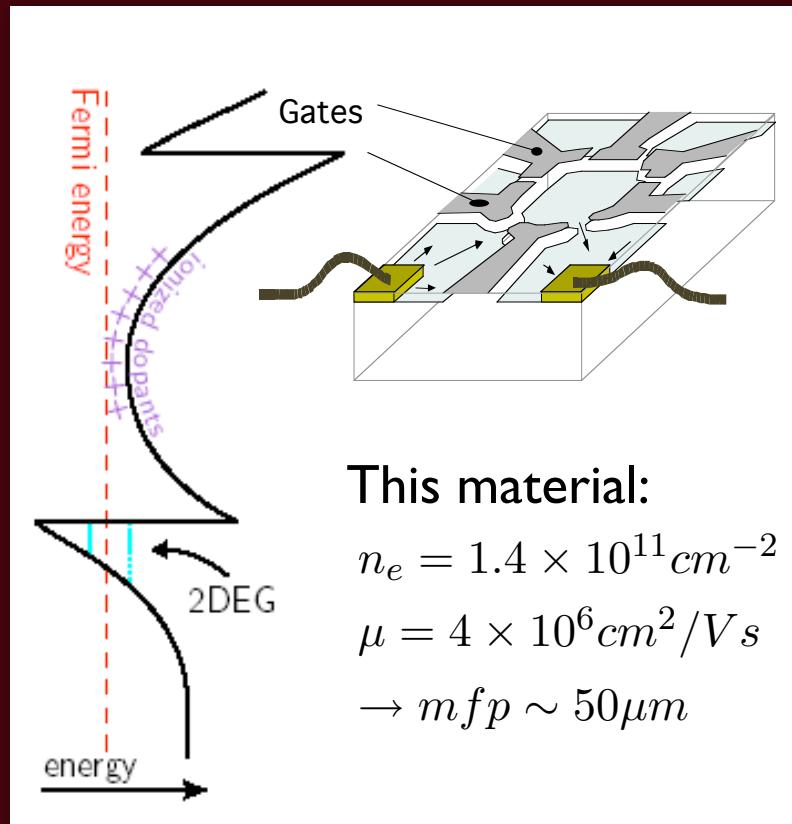


Jedema, van Wees et al, Nature
2002; see also Johnson and
Silsbee, PRL 1985.

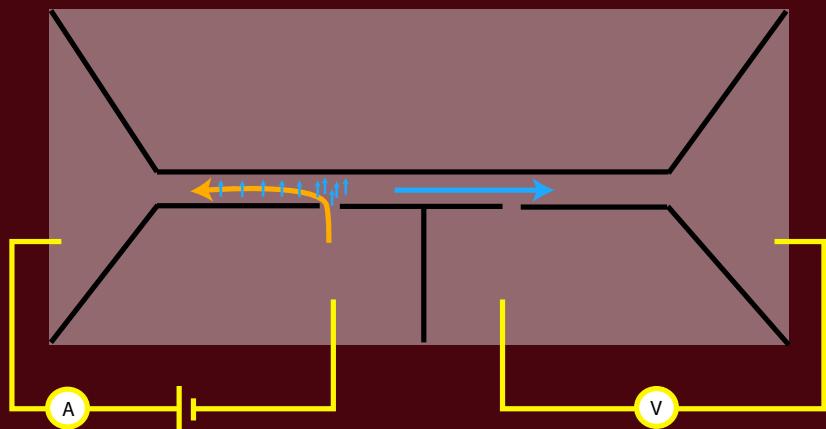


Charge current flows to left, spin current to right

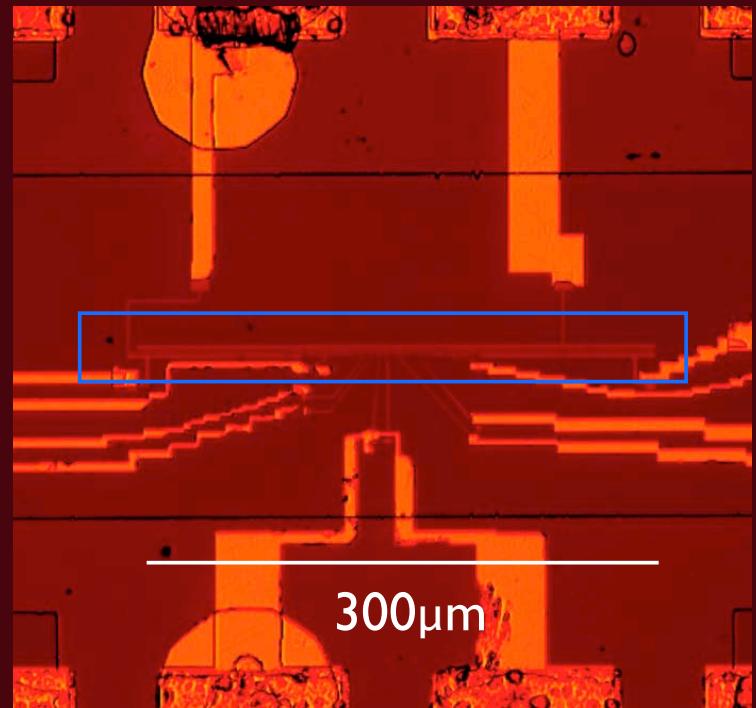
Nanostructures in GaAs/AlGaAs electron gas



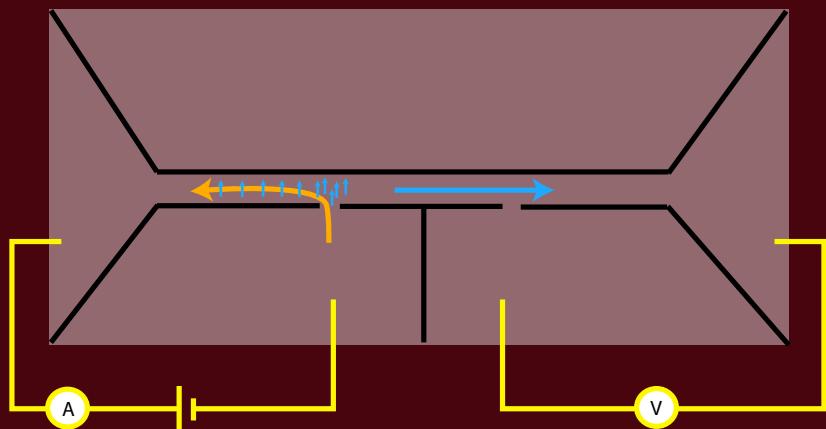
Device geometry



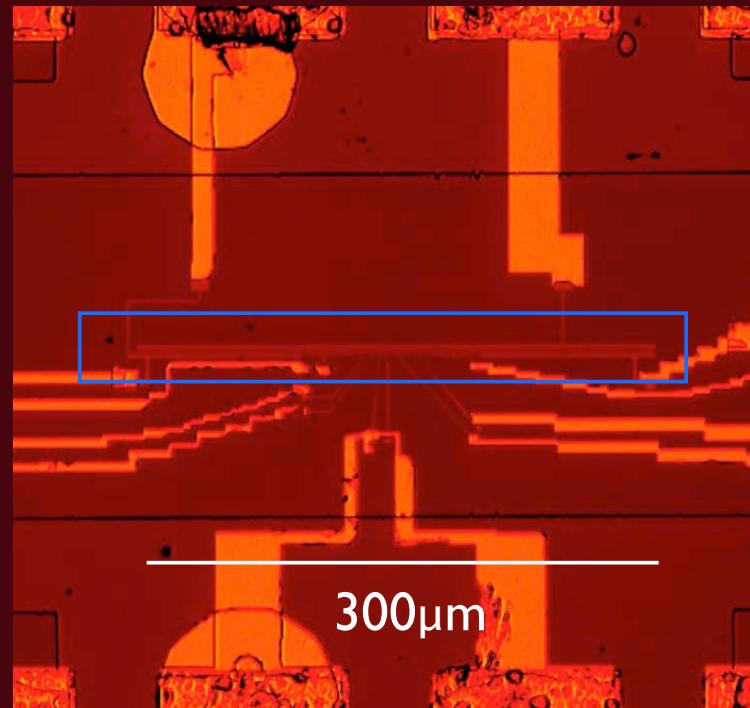
Charge current flows to left,
spin current to right



Device geometry



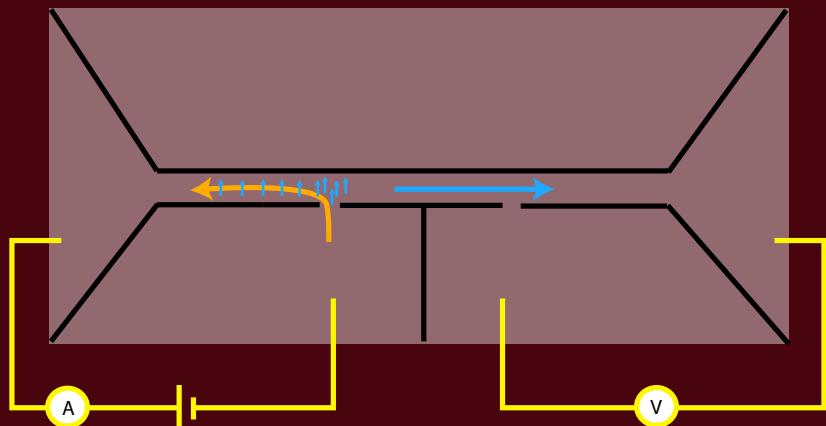
Charge current flows to left,
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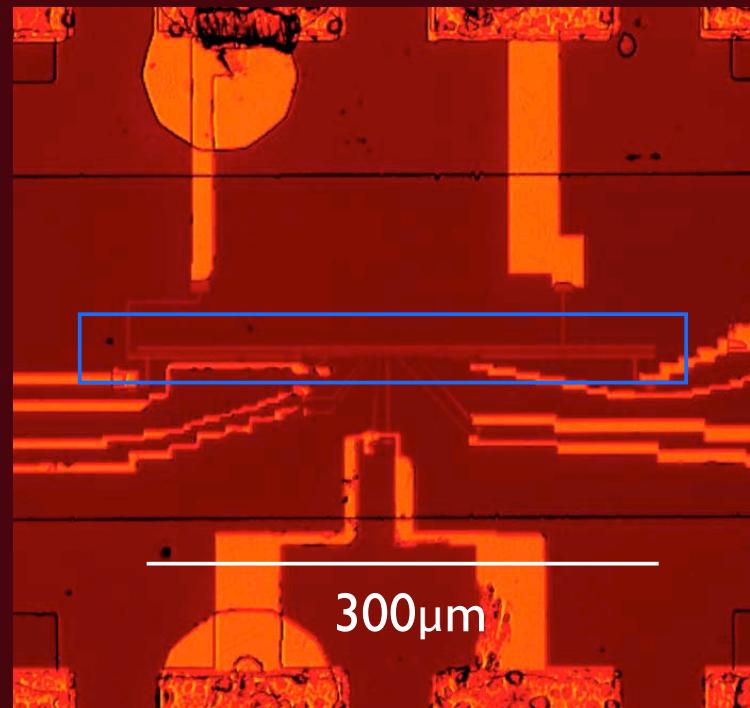
Device geometry



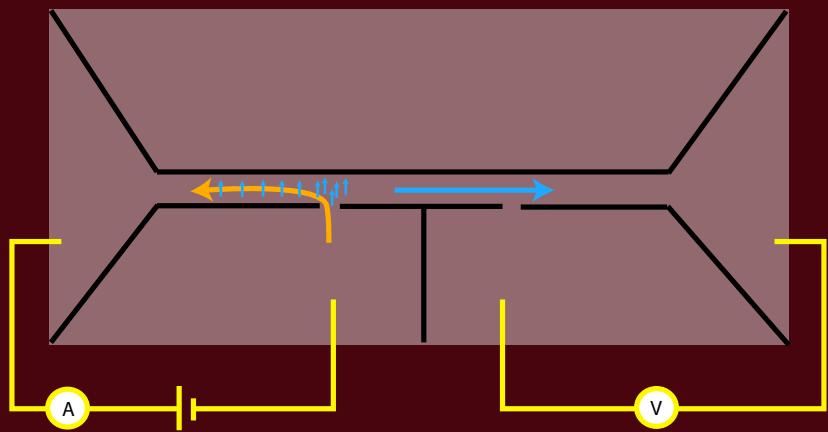
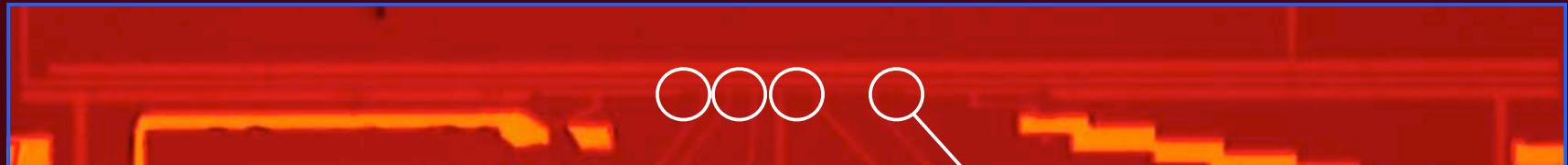
Quasiballistic: momentum relaxation length $\sim 20\text{ }\mu\text{m}$, \gg channel width



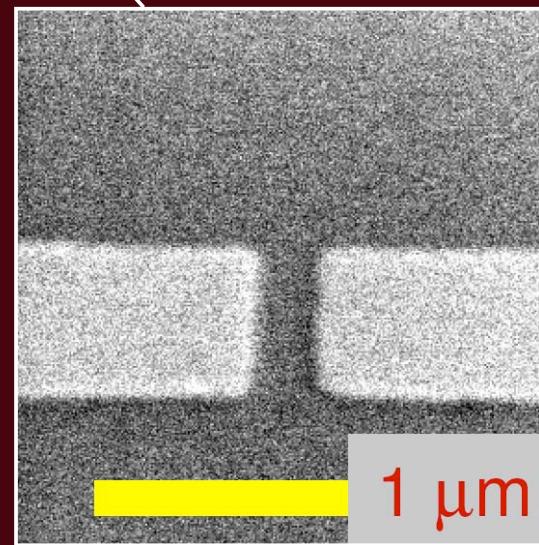
Charge current flows to left,
spin current to right



Device geometry

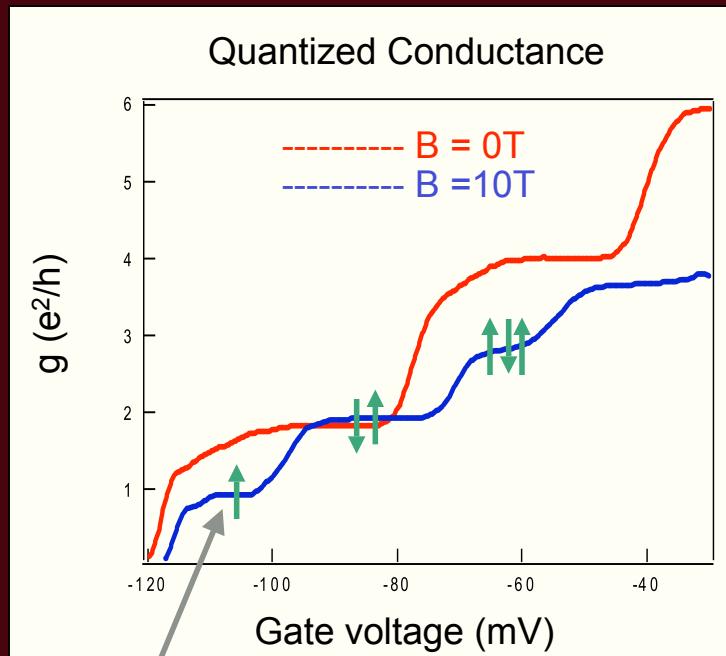
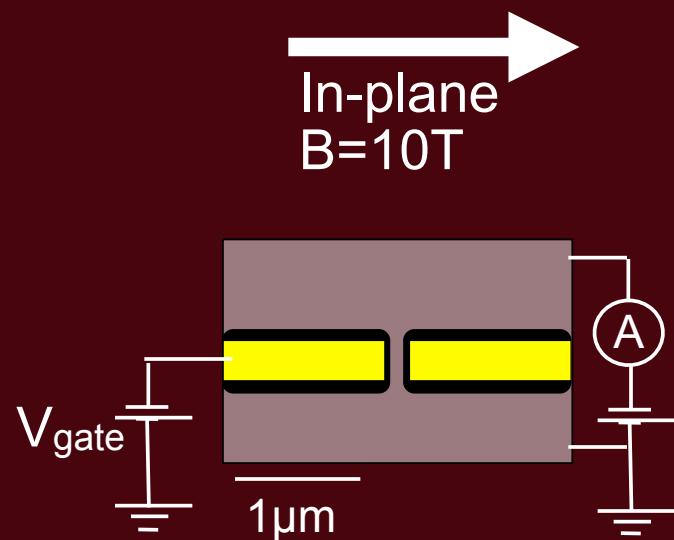


Charge current flows to left,
spin current to right



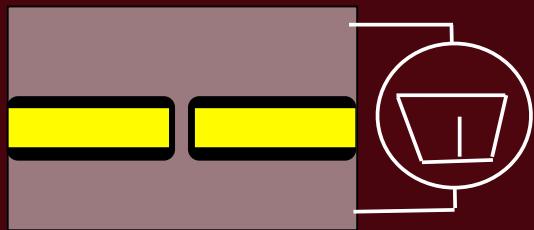
Point contact injector/detectors

Quantum point contact: A *spin injector* without ferromagnets

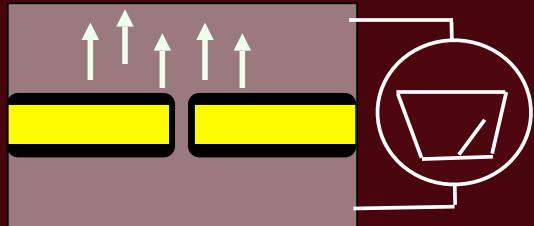


Spin-resolved plateau, transmits only spin up

Spin injectors are spin detectors too



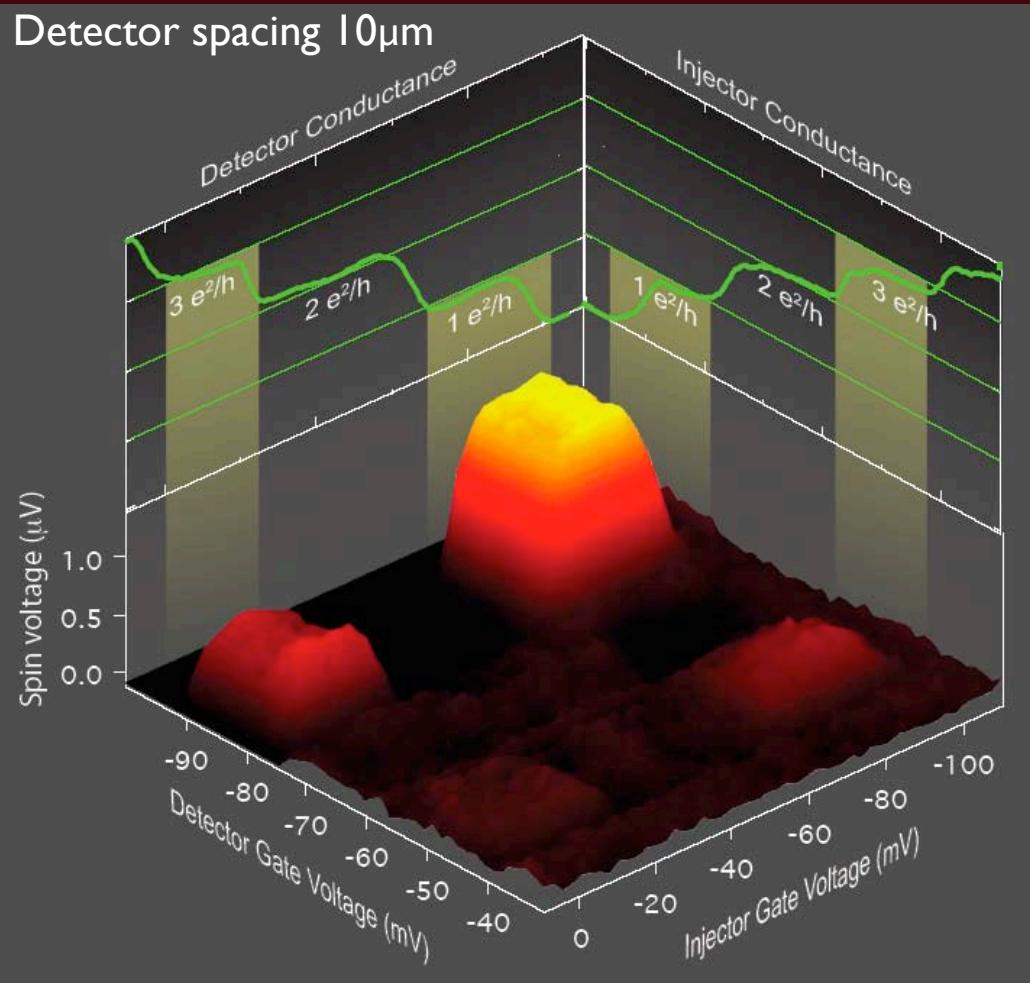
Equilibrium spin population
→ No voltage detected



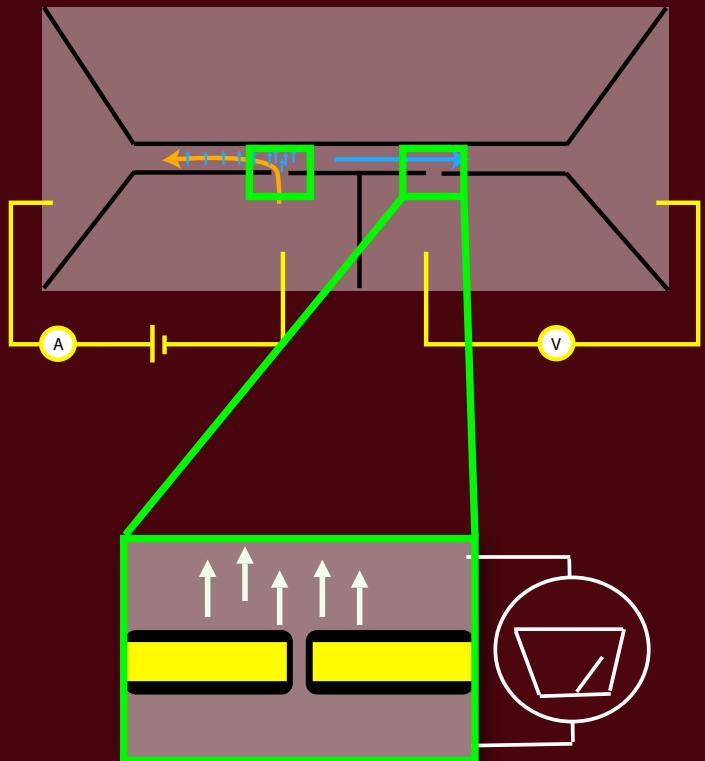
Nonequilibrium spin population
→ Voltage records $\mu_{\text{up}} - \mu_{\text{down}}$
when spin selective

Detecting spin currents

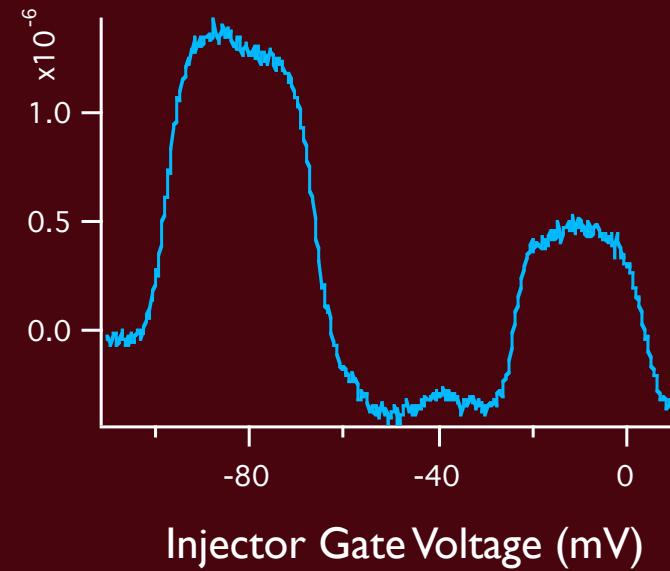
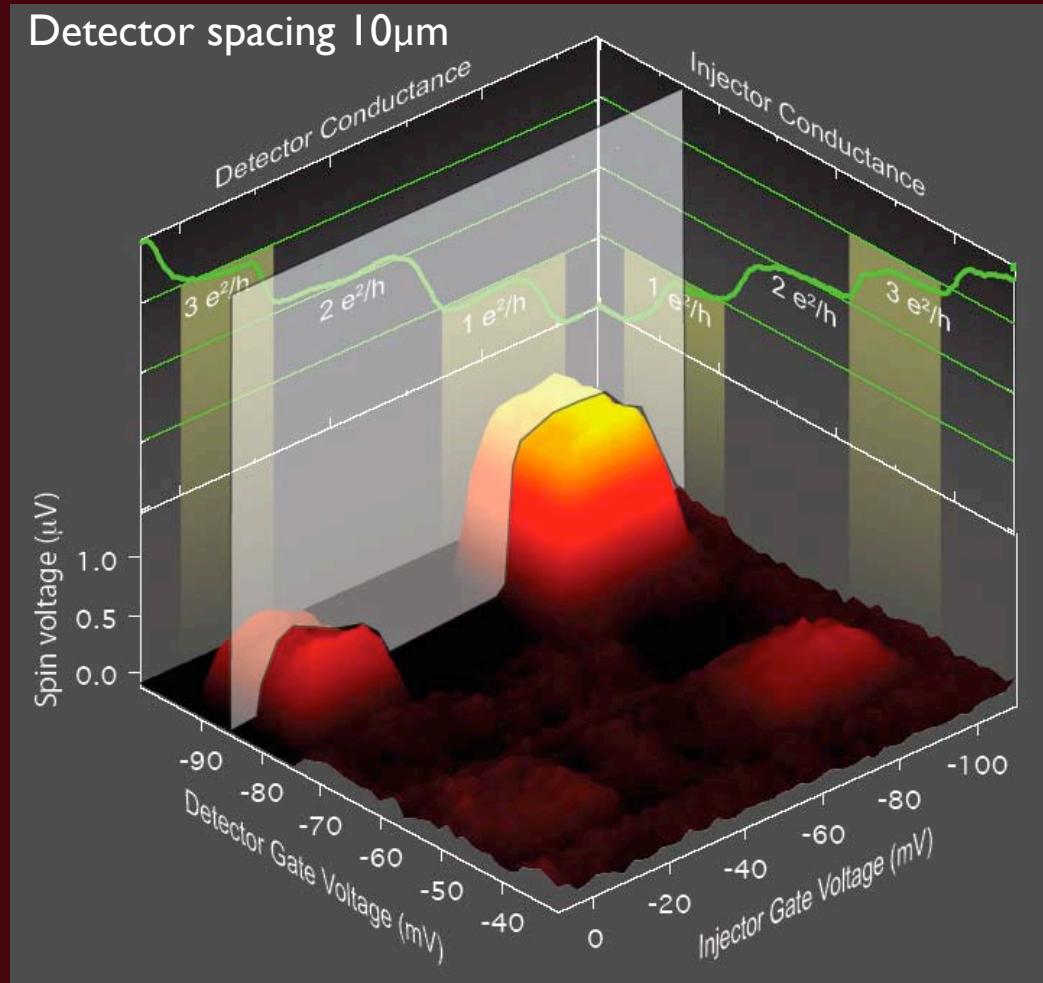
Detector spacing 10 μm



In-plane
 $B=10\text{T}$

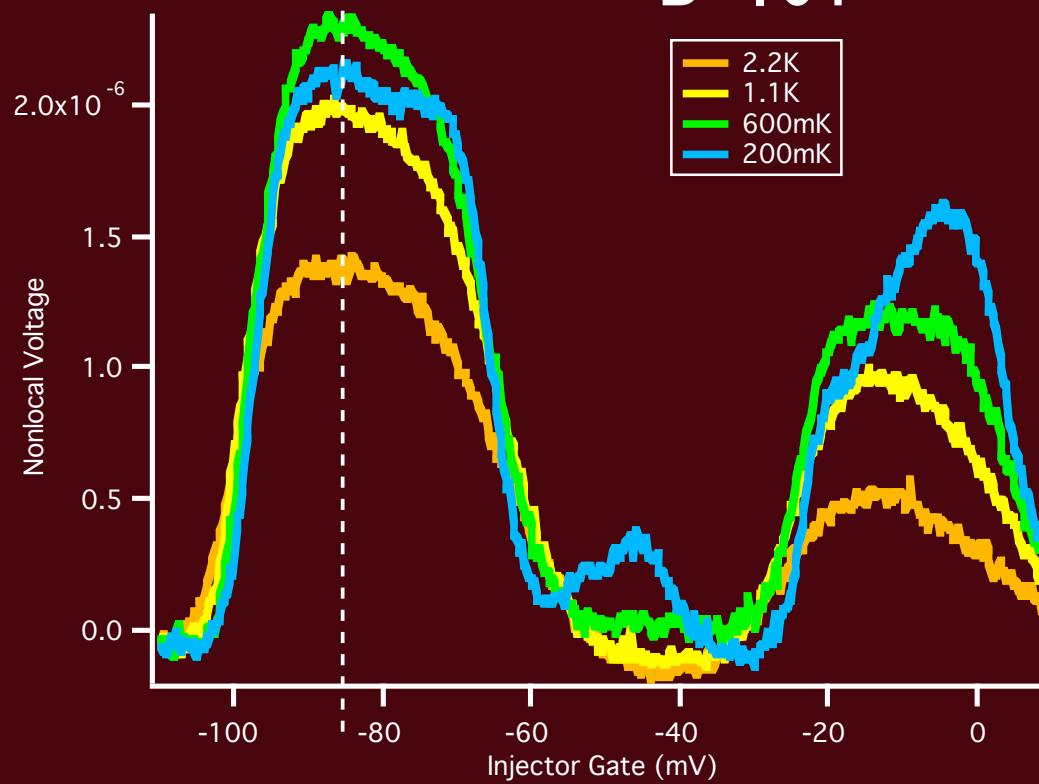


Detecting spin currents



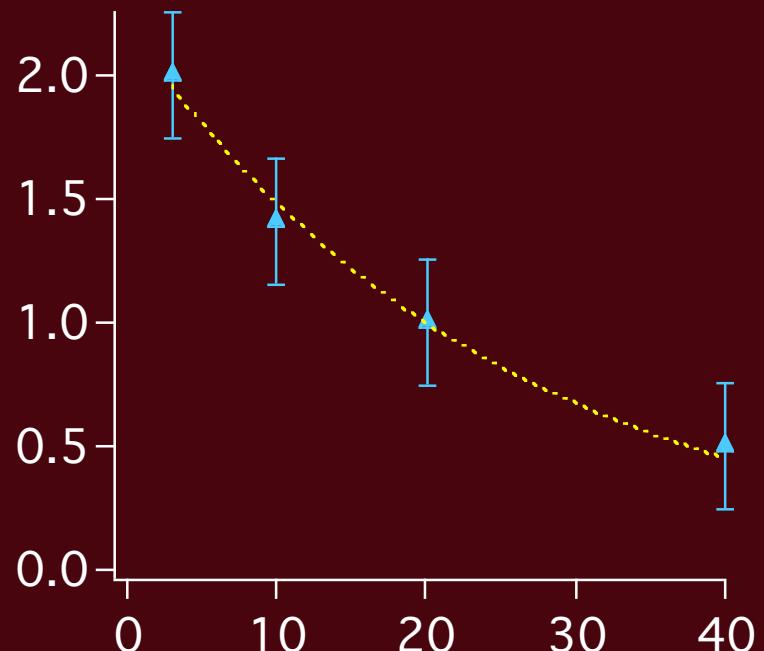
Temperature Dependence

B=10T



Enhanced g factor in low density QPC \Rightarrow
spin current still significant at T=2.2K!

Diffusion Length

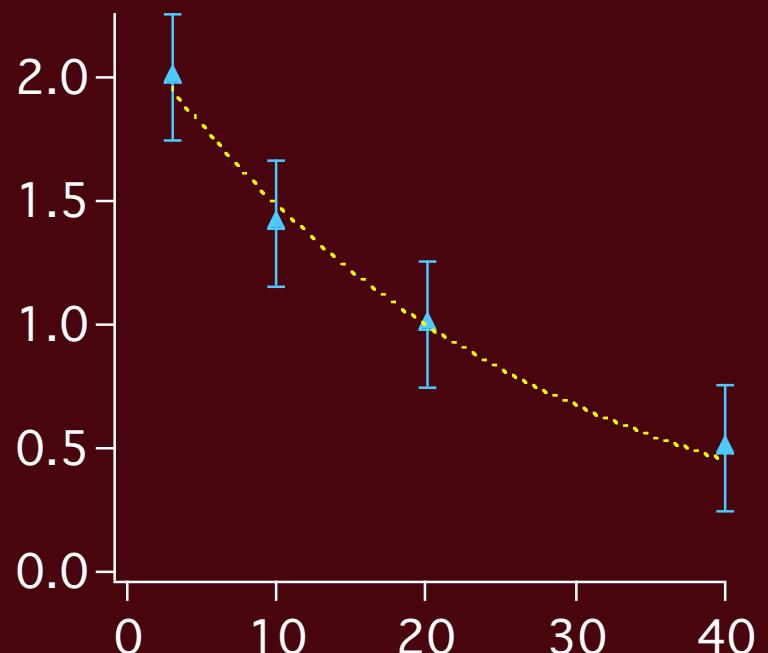


$$V_{spin}(x) \propto \lambda_s e^{\frac{-x}{\lambda_s}}$$

$$\lambda_s = 50\mu m$$

Assumes constant detector polarization.

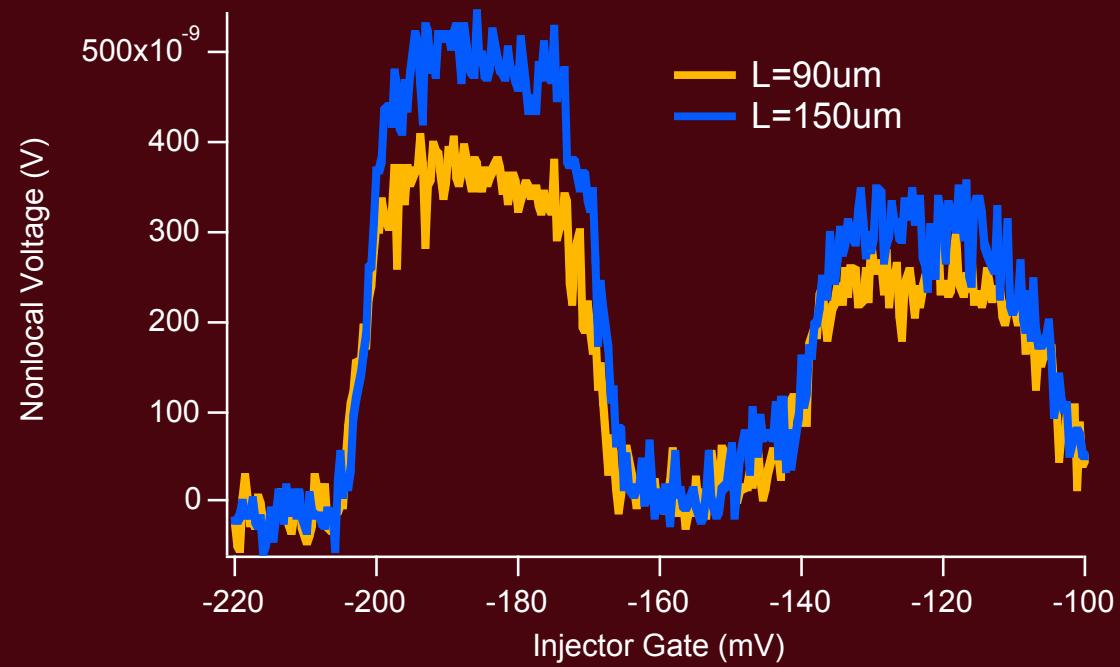
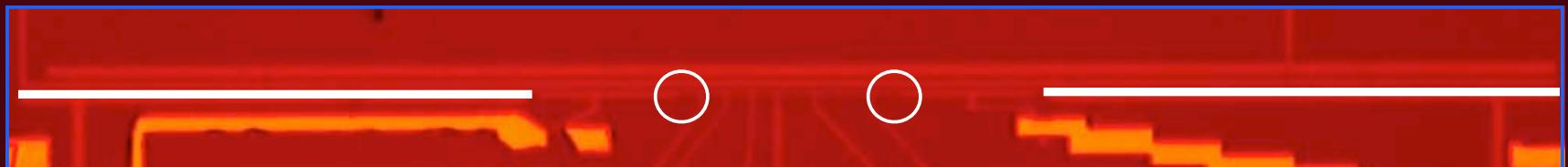
Diffusion Length



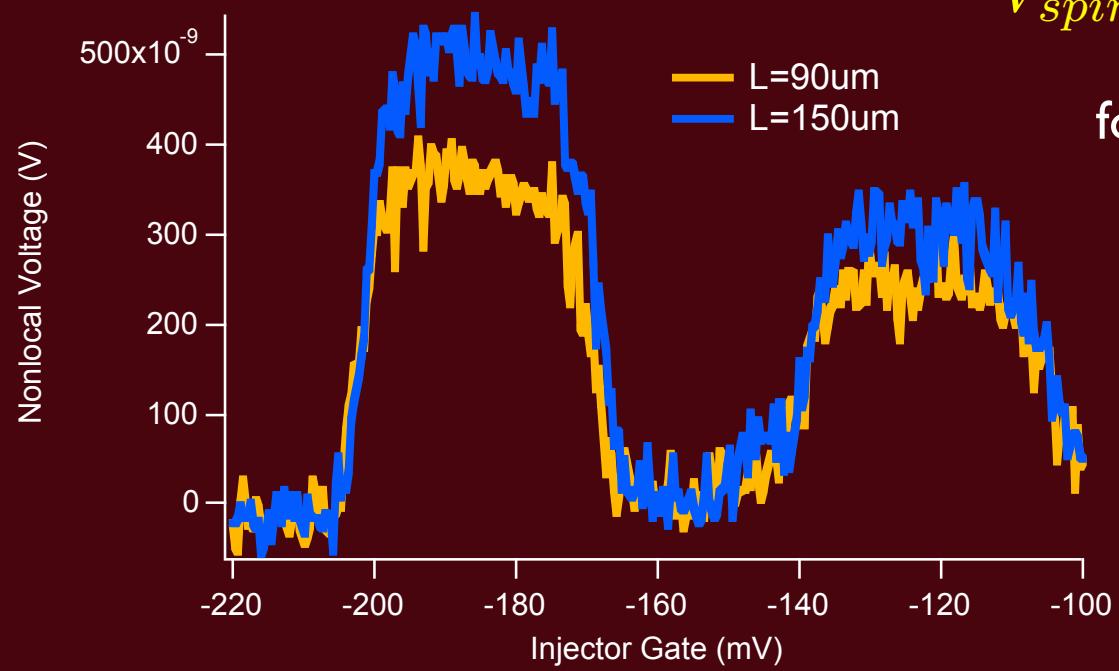
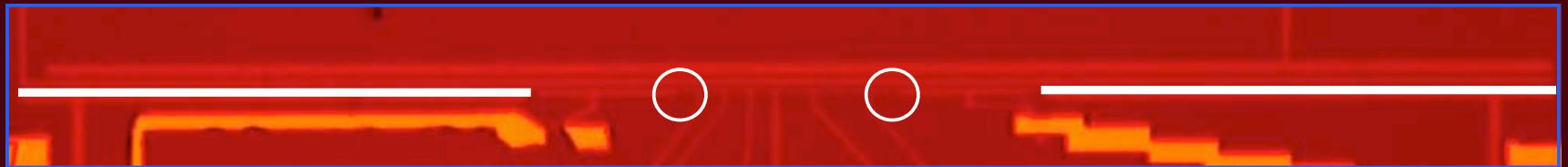
$$V_{spin}(x) \propto \lambda_s e^{\frac{-x}{\lambda_s}}$$

Assumes infinite channels
(channel length $\gg \lambda_s$)

Finite channels



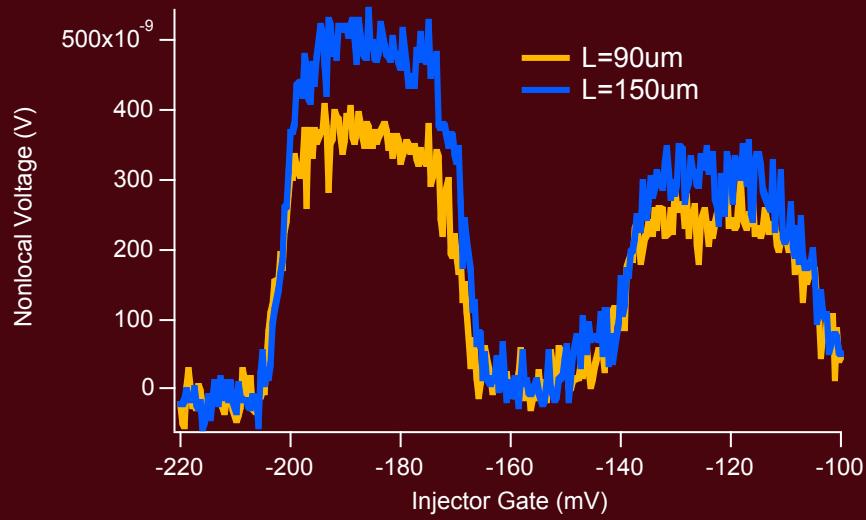
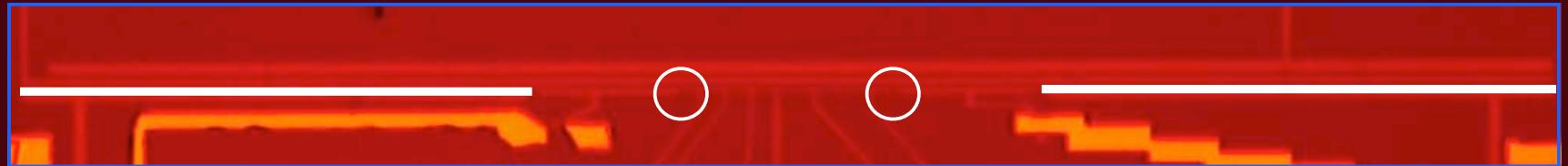
Finite channels



$$V_{spin}(x) \propto \lambda_s \frac{\sinh(\frac{L-x}{\lambda_s})}{e^{\frac{L}{\lambda_s}}}$$

for channel length L

Finite channels



$$V_{spin}(x) \propto \lambda_s \frac{\sinh(\frac{L-x}{\lambda_s})}{e^{\frac{L}{\lambda_s}}}$$

for channel length L

also gives

$$\lambda_s = 50\mu\text{m}$$

independent of
contact polarization

Spin relaxation time

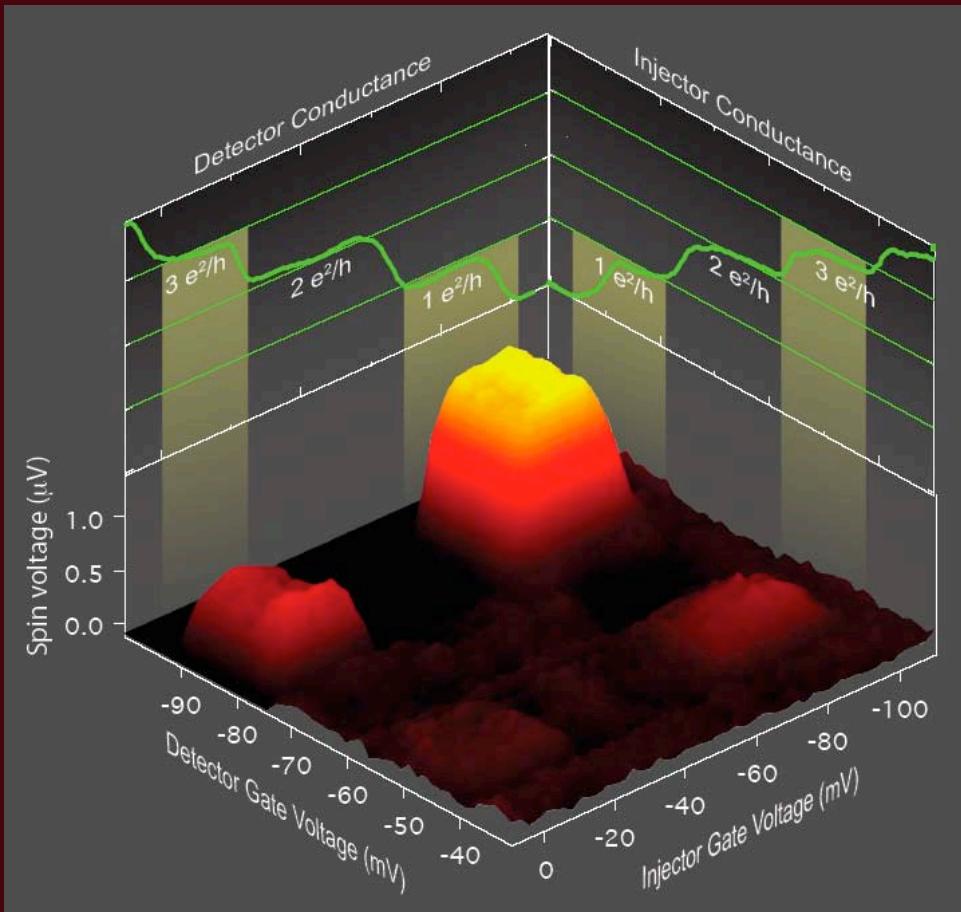


Total channel resistance implies 20 μm
momentum relaxation length

$$\lambda_s = 50\mu\text{m} \Leftrightarrow \tau_s \sim 1\text{ns}$$

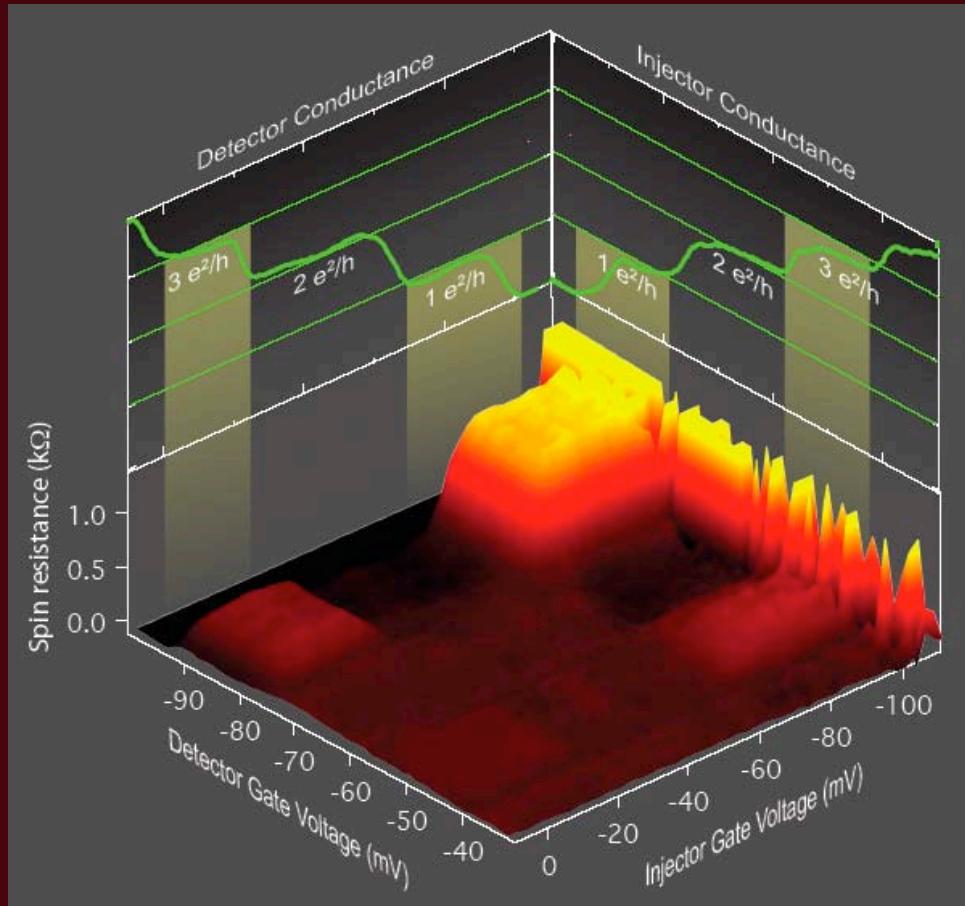
How does this depend on:
Magnetic field?
Electron-electron interactions?
Nonequilibrium chemical potential?

Contact Polarization



$$V_{spin}(x) \sim I_{inj} \frac{R}{2L} P_{inj} P_{det} \lambda_s e^{\frac{-x}{\lambda_s}}$$

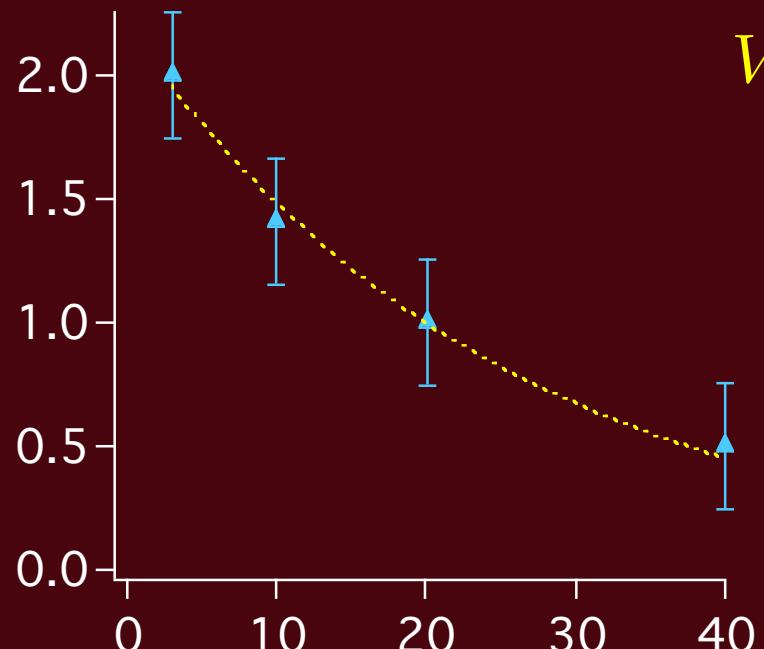
Contact Polarization



$$V_{spin}(x) \sim I_{inj} \frac{R}{2L} P_{inj} P_{det} \lambda_s e^{\frac{-x}{\lambda_s}}$$

$$R_{spin} = \frac{V_{spin}}{I_{inj}} \propto P_{inj} P_{det}$$

Absolute magnitude of spin signal



$$V_{spin}(x) \sim I_{inj} \frac{R}{2L} P_{inj} P_{det} \lambda_s e^{\frac{-x}{\lambda_s}}$$

Spin current flows to the left and right. Absolute magnitude depends on device details (not fully diffusive!).

E.g. perpendicular field of 50-100mT can strongly enhance or suppress spin current

Other Nonlocal Signals

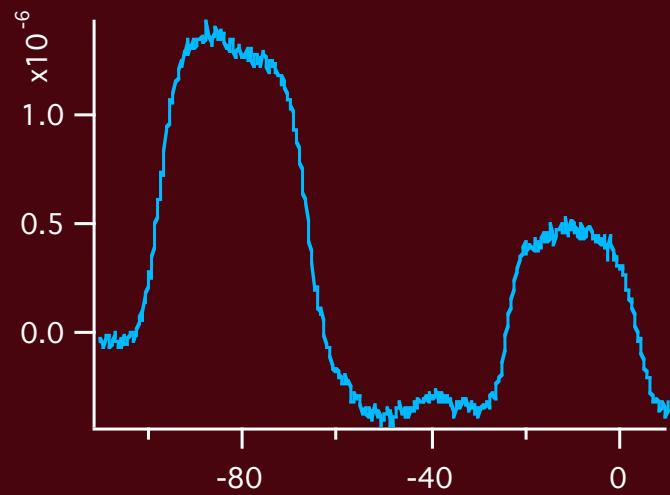
Thermoelectric Voltage (?)

$$\begin{aligned} V &\propto P \propto I^2 \\ &= (I_{dc} + I_0 \sin(\omega t))^2 \\ &= I_{dc}^2 + \boxed{2I_{dc}I_0 \sin(\omega t)} + \sin^2(\omega t) \end{aligned}$$

Lockin
measurement

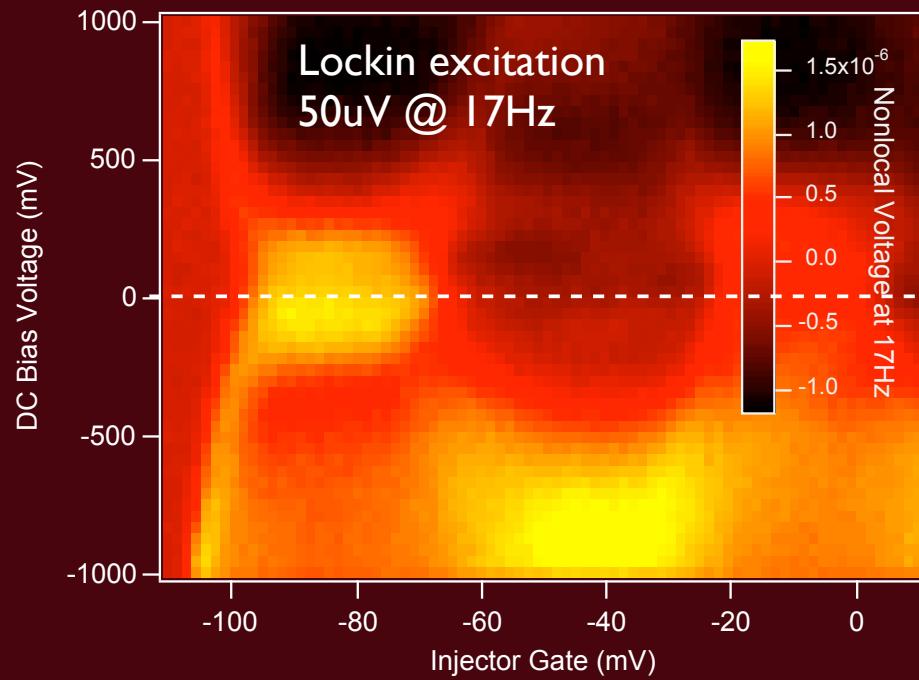
Other Nonlocal Signals

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Lockin measurement

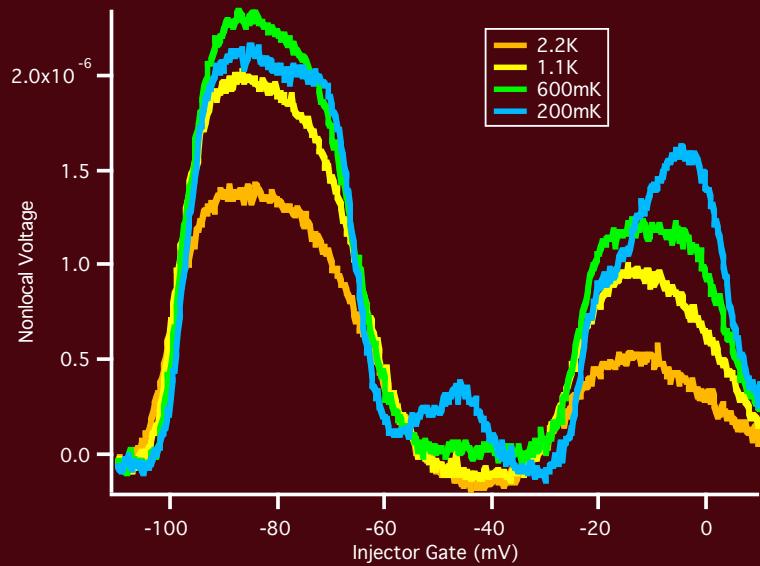


Other Nonlocal Signals

Thermoelectric Voltage (?)

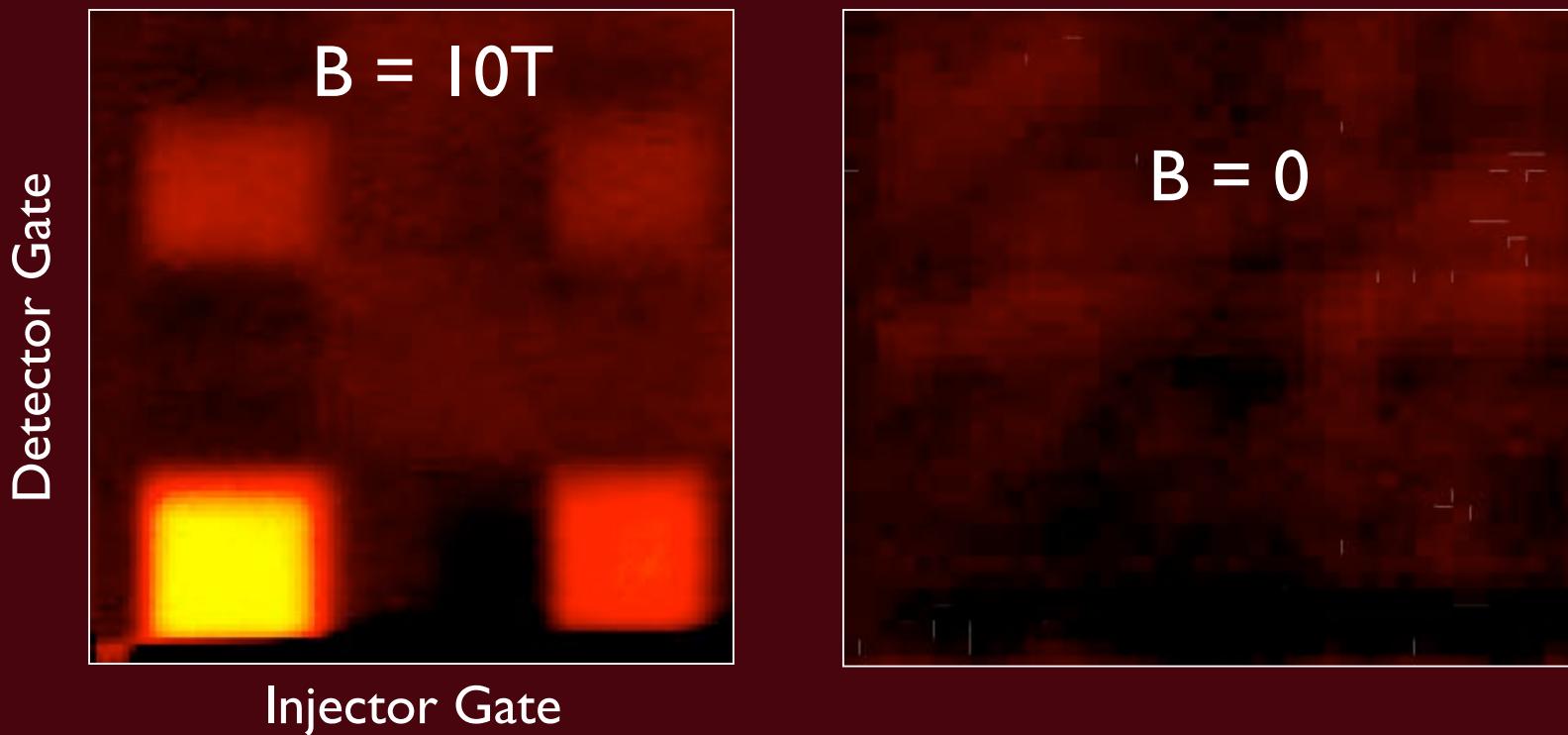
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Phase coherent effects (nonlocal UCF)



see also Lerescu,
van Wees et al

Other Nonlocal Signals



Spin signal dominates over other nonlocal signals,
and most other signals disappear for $T > 500\text{mK}$

Conclusions:

- Electrical generation and detection of spin currents
- Long mean free path enables spin transfer over long distances
- Spin relaxation length can be determined independent of contact polarization characteristics
- Flexibility of gated channel geometry in 2D electron gas provides a tool to study spin relaxation over a wide range of parameters (temperature, field, density, # of modes in